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A superkey is a set of attributes of a relation schema that can be used to uniquely identify tuples of a relation.

A key is a minimal set of attributes ..

| R | A | B | C |
|---|---|---|---|
|---|---|---|---|

| K | A | B | C |
|---|---|---|------|
| | a | 1 | true |

| R | A | B | C |
|---|---|---|-------|
| | a | 1 | false |

| R | A | B | C |
|---|---|---|-------|
| | a | 1 | true |
| | a | 1 | false |

| R | A | B | C |
|---|---|---|------|
| | a | 1 | true |
| | b | 1 | true |

X

select deptid, count(*)
 from ~~Dept d~~, Faculty f
~~where f.deptid = d.deptid~~
 group by deptid

select r.facultyid, count(research)
 from Faculty f, ResearchInterest r
 where r.facultyid = f.facultyid and f.deptid = 'CS'
 group by r.facultyid

ResearchInt (facultyid, research) RI(A,B)

$\Pi_{\text{facultyid}} \left(\sigma_{\substack{\text{facultyid} = A \\ \text{AND} \\ \text{research} \neq B}} \left(\text{RI} \times \rho_{\text{RI}(A,B)}(\text{RI}) \right) \right)$

facultyid w/ at least 2 research interest

select name
 from Students
 where major = "Physics" &
 age < 20 AND
 GPA > 3.5

$\Pi_{name} \left(\sigma_{\substack{\text{major} = \text{Physics} \\ \text{AND} \\ \text{age} < 20 \\ \text{AND} \\ \text{GPA} > 3.5}} (\text{Students}) \right)$

dept, name
 select d.f.name
 from Dept d, faculty f
 where d.chair-facultyid = f.facultyid

$\Pi_{name} \left(\sigma_{\substack{\text{chair-facultyid} \\ = \\ \text{facultyid}}} (\text{Dept} \times \text{Faculty}) \right)$

t_1, t_2 same key value \Rightarrow same rest of attr
 t_1, t_2 \neq same rest of attr \Rightarrow \neq same key value.

$$R \cup S = \{ (3,4), (5,6) \}$$

$$\sigma_{R \setminus S, A} (R \times S)$$

| R | A | B |
|---|---|---|
| 1 | 2 | |
| 3 | 4 | |
| 5 | 6 | |

$$\sigma_{R \setminus S, B} (R \times S)$$

| S | A | B |
|---|---|---|
| 3 | 4 | |
| 5 | 6 | |
| 2 | 1 | |

| Output | | | |
|--------|-----|-----|--|
| | 3 4 | 3 4 | |
| | 5 6 | 5 6 | |

| Output | | | |
|--------|-----|-----|--|
| | 3 4 | 3 4 | |
| | 5 6 | 5 6 | |



$$(R - S) \cup (S - R)$$

| R | A | B |
|---|---|---|
| | a | b |

| S | A | B |
|---|---|---|
| | a | b |

$$R - S = \emptyset$$

$$R \cap S = \{(a, b)\}$$

$$R - S \neq R \cap S$$

| R | A | B |
|---|---|---|
| | | |

| S | A | B |
|---|---|---|
| | | |

~~$$R - S = \emptyset$$~~

$$R \cap S = \emptyset$$

$$R - S = R \cap S$$



| R | A | B |
|---|----------------|----------------|
| | a ₁ | b ₂ |
| | a ₂ | b ₁ |

| S | A | B |
|---|----------------|----------------|
| | a ₁ | b ₁ |
| | a ₂ | b ₂ |

$$R - S = R$$

$$R \cap S = \emptyset$$

| R | A | B |
|---|---|---|
| | | |

| S | A | B |
|---|----------------|----------------|
| | a ₁ | b ₁ |
| | | |